Discussion Redistributive Inflation and Optimal Monetary Policy by Yucheng Yang

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    - Expenditure channel
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- This paper:
  - 1. Quantitative framework to study optimal policy rules
  - 2. Three (main) channels
    - Expenditure channel
    - Revaluation channel
    - Earnings channel
- ► Careful empirics and calibration ⇒ useful exercise!
- Central takeaway
  - Optimal rule is asymmetric: CB should be accommodative towards inflation, but aggressive towards deflation

### **Outline of Discussion**

- 1. Revisiting the model and approach
- 2. Comments/Remarks/Questions

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#### A lot of my thinking on this issues is based on

- "Optimal Monetary Policy with Heterogeneous Agents: Discretion, Commitment, and Timeless Policy" (DS2022b)
- 2. "Welfare Assessments with Heterogeneous Individuals" (DS2022a)
- 3. "Central Bank Mandates with Distributional Considerations" (DS2023a)

### ► Two-sector HANK model with a continuum of households

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  - Non-homothetic preferences and heterogeneous expenditure shares over sectors
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- 5. Aggregate demand "shocks" (Euler equation wedge?) Not well motivated Policy in absence of "shocks"? Other shocks: supply, cost-push?

## Key Equation

• Taylor rule: 
$$(\pi_t^+ = \max{\{\pi_t, 0\}} \text{ and } \pi_t^- = \min{\{\pi_t, 0\}})$$

$$i_{t+1} = r^* + \phi_{\pi}^+ \pi_t^+ + \phi_{\pi}^- \pi_t^- + \phi_y \hat{y}_t$$

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- Remark #1: Optimal MP vs. Optimal MP Rules Paper is mostly clear enough, but I have to say it!
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  - Title just says "Optimal Monetary Policy"
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- **Remark #2:** Why is  $\phi_{\pi}^+, \phi_{\pi}^- \leq 3$ ?
  - No good reason for upper bound

#### 1. Central finding: asymmetry of optimal rules

#### ▶ This is because of non-linear approach ⇒ interesting

- What matters for utilitarian planners is <u>marginal utility of</u> <u>consumption</u> (inherently very asymmetric) <u>See DS2022b</u>
- How much deflation do we see in the calibration?

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#### 2. We need a more detailed explanation of channels

- What matters is the simultaneous impact of stimulating the economy and the cross-sectional implications See DS2022b
- Who gains, who losses with each channel? Interactions?
  - This should be the key contribution
- ▶ No discussion of departures from first-best, etc.

- 3. Aggregate "shocks" as perfect foresight shocks
  - The paper solves for perfect foresight paths to a shock to the Euler equation
    - In principle, there is an optimal set of  $\Phi = \{\phi_{\pi}^+, \phi_{\pi}^-, \phi_y\}$  per "shock"
  - The paper then computes "expected welfare"
    - Finds  $\Phi = \{\phi_{\pi}^+, \bar{\phi}_{\pi}^-, \phi_y\}$  to maximize expected welfare
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### 4. Pareto weights

- Strict utilitarian (with equal weights) already has strong desire to redistribute See DS2022a
- At the time of welfare assessment, individuals are different (different initial state variables)
- Much better than reverse engineering Pareto Weights to match some targets! (other papers do that...)

- 5. Ad-hoc social cost of inflation
  - Paper adds an ad-hoc cost to welfare  $-\chi \sum_{t=0}^{\infty} \pi_t^2$ 
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See DS2022a

No properties have been established

#### 7. Back to the title: why redistributive inflation?

- For instance, earnings channel is about exposure of wages to aggregate shocks
- This channel would be there even with zero inflation

### Conclusion

- Optimal monetary policy in models with heterogeneity: important (and complicated!) question
- This paper
  - Nice measurement exercise, careful calibration
  - More work needed to flesh out the economics
  - Hard technical and conceptual issues