

# Discussion

## Valuing Financial Data

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Emphasis on role of wealth and risk aversion

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- ▶ Value of realized GDP

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- ▶ Underexplored topic  $\Rightarrow$  Very important exercise

# Outline of Discussion

1. Theoretical Framework
2. Measurement
3. Comments/Remarks/Questions

# Framework

- ▶ Standard OLG-AR(1)-REE model with  $N$  assets
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- ▶ Absolute RA:  $\rho_i = -\frac{U''}{U'}$ , so  $\rho_i = \frac{RRA}{w_{it}}$
- ▶ Standard REE with information set:  $\mathcal{I}_{it} = \{\mathcal{I}_t^-, s_{it}, p_t\}$

## Key Result

- ▶ **Lemma 1:** (competitive case)

$$\underbrace{\mathbb{E}[U(c_{it+1}) | \mathcal{I}_{it}]}_{=\tilde{U}(\mathcal{I}_{it})} = \frac{1}{2} \mathbb{E}[\Pi_{it}]' \mathbb{V}[\Pi_{it} | \mathcal{I}_{it}]^{-1} \mathbb{E}[\Pi_{it}] + \frac{1}{2} \text{Tr} \left[ \mathbb{V}[\Pi_{it}]^{-1} \mathbb{V}[\Pi_{it} | \mathcal{I}_{it}]^{-1} - I \right] + r\rho_i \bar{w}_{it}$$

- ▶ “Excess payoff”:  $\Pi_{it} = \theta_i [p_{t+1} + d_{t+1} - rp_t]$

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- ▶ “Excess payoff”:  $\Pi_{it} = \theta_i [p_{t+1} + d_{t+1} - rp_t]$

$$\text{Value of data} = \frac{1}{\rho_i} \left( \tilde{U} (\mathcal{I}_{it} + \text{data}) - \tilde{U} (\mathcal{I}_{it}) \right)$$

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- ▶ **Remarks**

1. Sufficient statistics:  $\mathbb{E} [\Pi_{it}]$ ,  $\mathbb{V} [\Pi_{it}]$ ,  $\mathbb{V} [\Pi_{it} | \mathcal{I}_{it}]^{-1}$  (and  $\rho_i$ )
2. Note that  $\rho_i$  is key for magnitudes  
high wealth  $\Rightarrow$  high value; given RRA
3. Money-metric (in \$)  $\Rightarrow$  Linear-quadratic is quasilinear
4. Paper also allows for price impact  
high price impact  $\Rightarrow$  less value of information

# Measurement

- ▶ Switch to returns for measurement:  $\Pi_{it} \Rightarrow R_t$ 
  - ▶  $\mathbb{E}[\Pi_{it}]$  and  $\mathbb{V}[\Pi_{it}]$  estimated via unconditional moments
  - ▶  $\mathbb{V}[\Pi_{it}|\mathcal{I}_{it}]^{-1}$  estimated via

$$R_t = \underbrace{\beta_1 X_t}_{\text{data}} + \underbrace{\beta_2 Z_t}_{\text{existing info.}} + \varepsilon_t^{XZ}$$
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$$\begin{aligned} R_t &= \overbrace{\beta_1 X_t}^{\text{data}} + \overbrace{\beta_2 Z_t}^{\text{existing info.}} + \varepsilon_t^{XZ} \\ R_t &= \underbrace{\gamma_2 Z_t}_{\text{existing info.}} + \varepsilon_t^Z \end{aligned}$$

- ▶ Exercise #1:  $X_t$  is I/B/E/S forecasts
  - ▶ Variation in wealth, investment styles, existing data, etc.
  - ▶ Headline willingness-to-pay:
    - ▶ For \$500k investor: ~\$3,000
    - ▶ For \$250m investor: ~\$1m
- ▶ Exercise #2: realized GDP

# Comments/Remarks/Questions

## 1. Why is information valuable?

- ▶ Can investors trade more/better?
- ▶ Is it because of preferences for early resolution of uncertainty?  
Implied by linear-quadratic preferences
- ▶ Can underlying sources of value be decomposed?
- ▶ No role for production

# Comments/Remarks/Questions

## 2. Why do we need the equilibrium structure?

- ▶ Lemma 3 in Appendix:

$$\underbrace{\mathbb{E}[U(c_{it+1}) | \mathcal{I}_{it}]}_{=\tilde{U}(\mathcal{I}_{it})} = \frac{1}{2} \mathbb{E}[\Pi_{it} | \mathcal{I}_{it}]' \mathbb{V}[\Pi_{it} | \mathcal{I}_{it}]^{-1} \mathbb{E}[\Pi_{it} | \mathcal{I}_{it}] + r \rho_i \bar{w}_{it}$$

- ▶ This expression requires fewer assumptions than Lemma 1
- ▶ Why not using  $\mathbb{E}[\Pi_{it} | \mathcal{I}_{it}]'$  and  $\mathbb{V}[\Pi_{it} | \mathcal{I}_{it}]$  as sufficient statistics?
- ▶ Small aside: finance/asset pricing “invented” sufficient statistics!
  - ▶ CAPM, SDF, etc.
  - ▶ Makes sense to use this approach!



# Comments/Remarks/Questions

## 3. How does the “big $K$ , little $k$ ” issue with information manifests here?

- ▶ The value of data for one investor depends on the information of others and how they respond:

$$V_i \left( \mathcal{I}_i; \{\mathcal{I}_j\}_{j \in I} \right)$$

- ▶ How can we see this in the measurement?
  - ▶ Can we decompose the value holding fixed behavioral responses and then reacting?
  - ▶ Can we compute the willingness to pay of one investor if everyone gets the information?
- ▶ Easy to compute these counterfactuals in the model (connects to comment #1)
  - ▶ Sufficient statistics as intermediate objects for modeling

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## 4. Distinction between private and social value?

- ▶ Welfare question remains open

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# Conclusion

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  - ▶ I'm very supportive of the overall approach
  - ▶ Nice way to connect theory and measurement
- ▶ There is scope to dig deeper into the sources of value...
- ▶ ... while qualifying the role of some of the assumptions
- ▶ I conjecture much work will follow